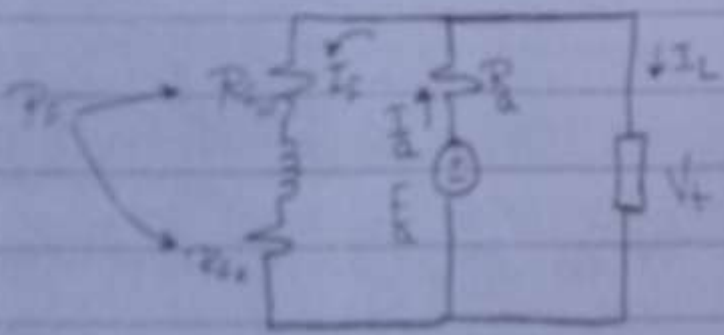
Dr. Hany
- DC Generator
- DC motor
- Synch. Gen. AC 3phase

Dr Fath
- transformer
- induction 3ph

* DC Generator
  - stator (stationary part) (field ct)
  - rotor (rotating part) (Armature ct)

4 types:
1- Sperately Excited
2- Shunt Generator
3- Series Generator
4- Compound Generator

1 Shunt Generator

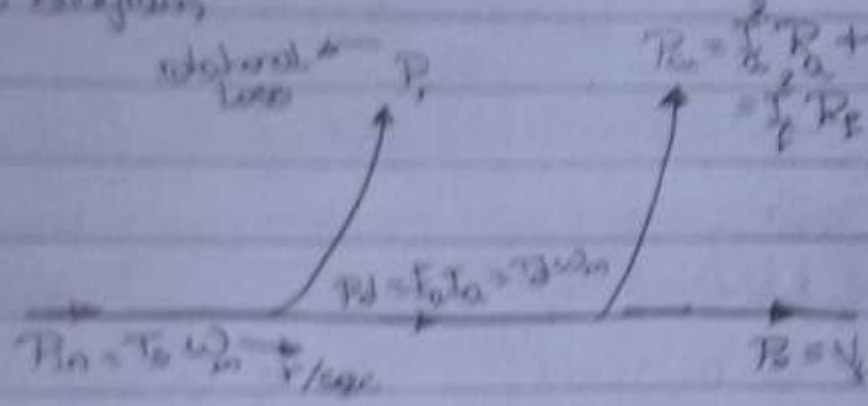


$$E_a = V_t + I_a R_a$$

$$I_a = I_L + I_f$$

$$V_t = I_f \left(R_{sh} + R \right)$$

Power flow diagram



where T_s → start torque "I/p" → applied

T_d → developed Torque

$$\omega_m = \frac{2\pi N_m}{60}$$

Ex: midterm

E_b → induced emf "No load voltage"

V_t → terminal voltage

Rated power 40kW = P_2

$V_t = 100V$

$R_a = 0.085\ \Omega$ → armature resistance

$R_{sh} = 25\ \Omega$

$R_{sh} = 15\ \Omega$

$N_m = 1200$ rpm

$P_r = 4$ Kw

Determine: ① E_b ② P_d ③ T_s ④ η

Sol:

$$E_b = V_t + I_a R_a$$

$$= 100 + (I + I_f) * 0.085$$

$R_F = R_{F1} + R_{Fx} = 40\Omega$

$I_L = \frac{P_o}{V_t} = \frac{40 * 10^3}{100} = 400\,A$

$I_F = \frac{V_t}{R_F} = \frac{100}{40} = 2.5A$

$E_a = 100 + (402.5 * 0.085)$

$= 134.2V$

$P_d = E_a I_a$

$= 134.2 * 402.5 = 54.015\ kw$

$P_{in} = P_r + P_d$

$= 4 * 10^3 + 54.015 * 10^3$

$= 108.03\ kw$

$T_s = \frac{P_{in}}{\omega_m} = \frac{108.03 * 10^3}{\frac{2\pi * 1000}{60}} = ____ N.m$

$\eta = \frac{P_o}{P_{in}} \rightarrow V_t I_L$

Ex

DC shunt Generator driven at speed of 900 r.p.m. The load draw a current I_L of 200A for a magnetic flux per pole, as 0.1wb. The armature at R_a is 0.1Ω Field Resistance R_{sh} = 130Ω, lap $a=P$ Connected, armature Z conductors = 300.

→ for effeciency 80% find..

① VR%, ② If, ③ I_a, ④ P_r, ⑤ P_{cu}, ⑥ T_s

Note

$E_a = K_a \Phi_P \omega_m$ ← Flux per pole (wb)

$\omega_m \rightarrow \frac{2\pi N_m}{60}$

K_a = constant = $\frac{PZ}{2\pi a}$

P → No. of poles

Z → No of conductors

a = 2 (wave connect)

a = p (Lap =)

N.B عدد الموصلات armature cond. = 300 لو

No of slot = 30 slot & 10 conductors

Sol:

$$E_a = \frac{PZ}{2\pi a} * \phi * \frac{2\pi * 900}{60}$$

$$= 450 \text{ V}$$

$$V_t = E_a - I_a R_a$$

$$V_t = 900 - (200 + I_f) * 0.1$$

$$I_f = \frac{V_t}{R_f} = \frac{V_t}{130}$$

$$V_t = 900 - \left(200 + \frac{V_t}{130}\right) * 0.1$$

$$V_t = \checkmark$$

$$VR\% = \frac{E_a - V_t}{V_t} * 100 = \checkmark \%$$

$$I_f = \frac{V_t}{R_f} = \frac{420}{130} = 3.2 \text{ A}$$

$$I_a = 200 + 3.2 = 203.2 \text{ A}$$

$$\eta = \frac{P_o \rightarrow V_t I_L}{P_{in}}$$

$$P_{in} = P_{in} - P_d \leftarrow E_a I_a$$

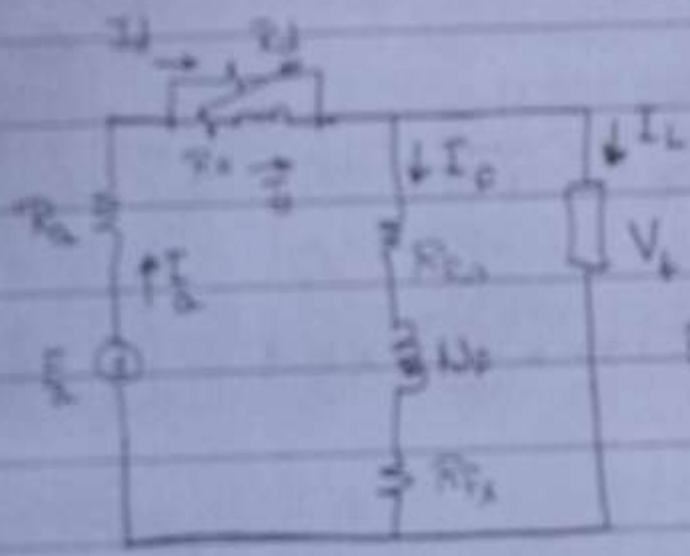
$$P_{cu} = I_a^2 R_a + I_f^2 R_s$$
$$= P_d - P_o$$

$$T_o = \frac{P_{in}}{\omega_m}$$

Compound Generator

ⓐ Long shunt:

R_d → diverter resistance



- لاحظ long بيمر في ملفة بيه ال shunt و

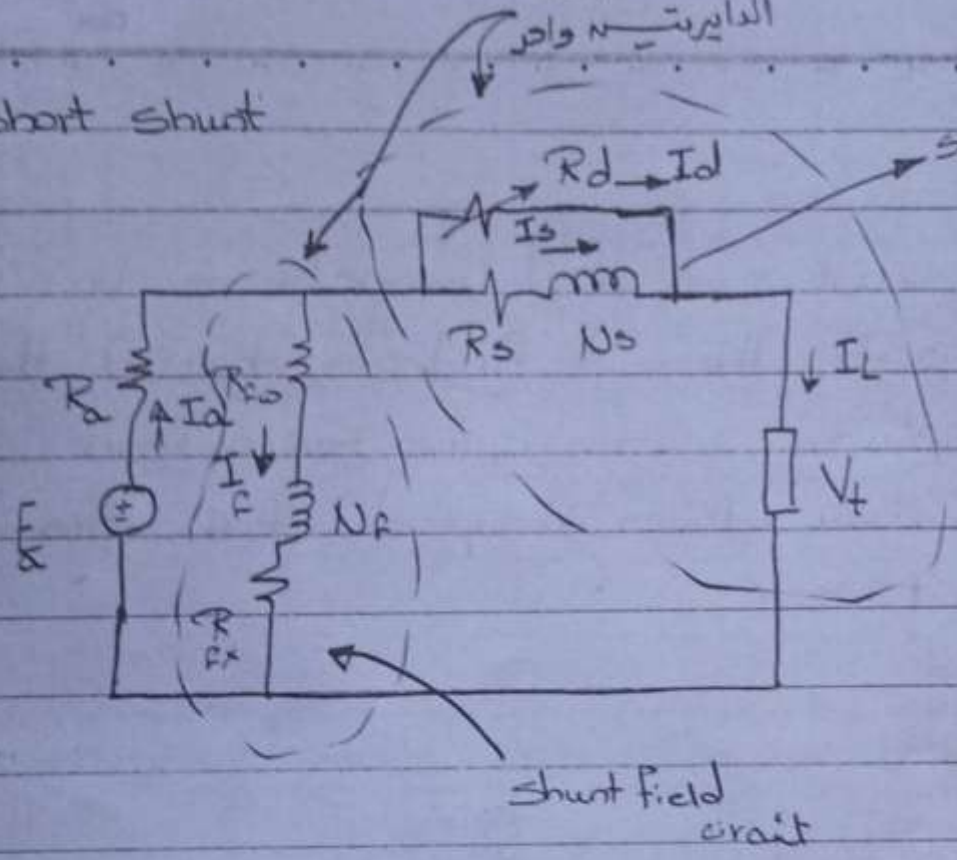
E_a

$I_d R_d$ ← (ممكن يسئلوا عنه)

$$E_a = I_a R_a + I_s R_s + V_t \rightarrow I_f R_f$$

$$I_a = I_d + I_{sh}$$
$$= I_f + I_L$$

(b) short shunt



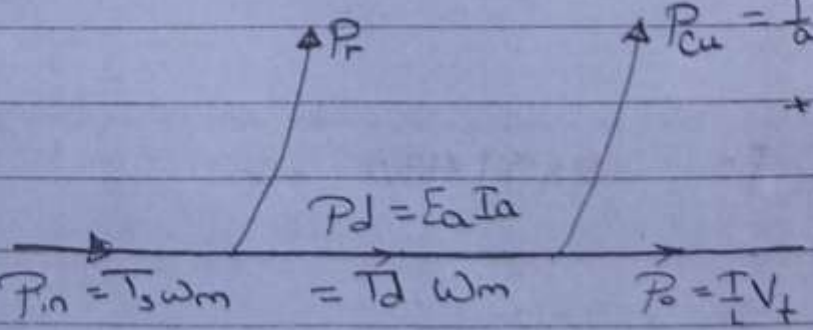
$$E_a = I_a R_a + I_s R_s + V_t$$

$$I_f R_F$$

$$I_a = I_L + I_f$$

$$I_s + I_d$$

* power flow diagram



Ex 3.14

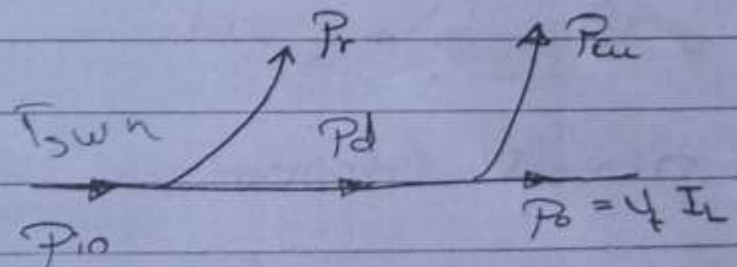
V_t
240 V short shunt compound Generator is drawn
I_L
a current of 125A, the shunt Field current I_f is 5A, the
R_a
armature resistance = 25mΩ, the series Field
R_S resistance = 15mΩ driven at speed of 600 rpm
for P_r = 3KW

Determine:

① η , ② T_s

Sol.

$$E_a = V_t + I_a R_a + I_s R_s$$
$$= 240 + (125+5) * 25 * 10^{-3} + 125 * 15 * 10^{-3}$$
$$= 245.1V$$



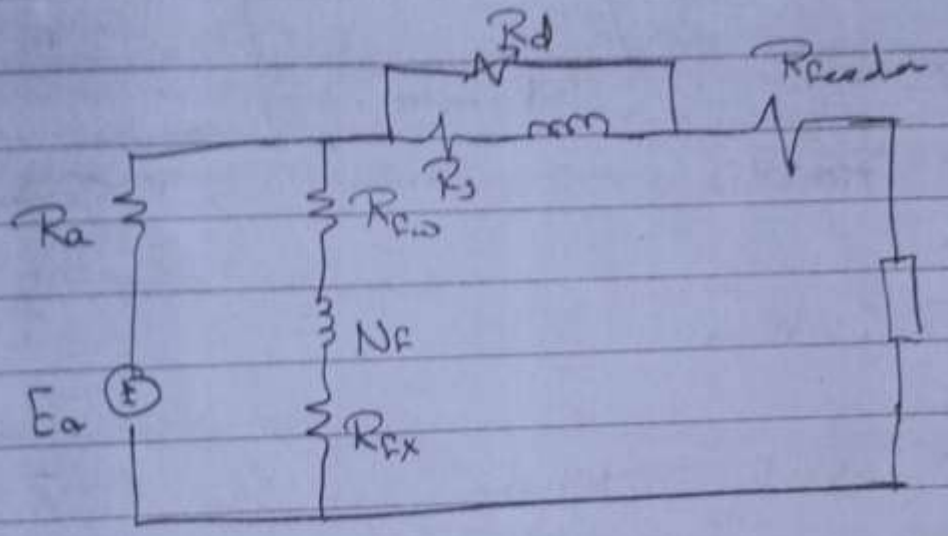
$P_d = E_a I_a = 245.1 * 130 = \checkmark$

$P_{in} = P_d + 3 * 10^3 = \checkmark$

$\eta = \frac{P_o}{P_{in}} \rightarrow V_t I_L$

$T_s = \frac{P_{in}}{\omega n}$

V_t هنا حيث يقوى اذ ربط الـ Series مع الـ Feeder

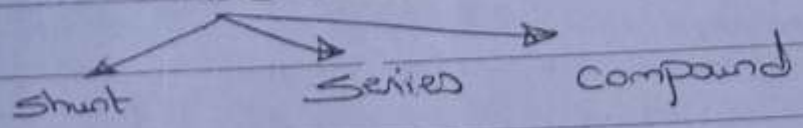


$$E_a = I_a R_a + I_s R_s + V_t + I_L R_{feeder}$$

$$P_{Cu} = I_L^2 R_{feeder} + I_a^2 R_a + I_f^2 R_f + I_s^2 R_s + I_d^2 R_d$$

Chapter 2

DC Motor

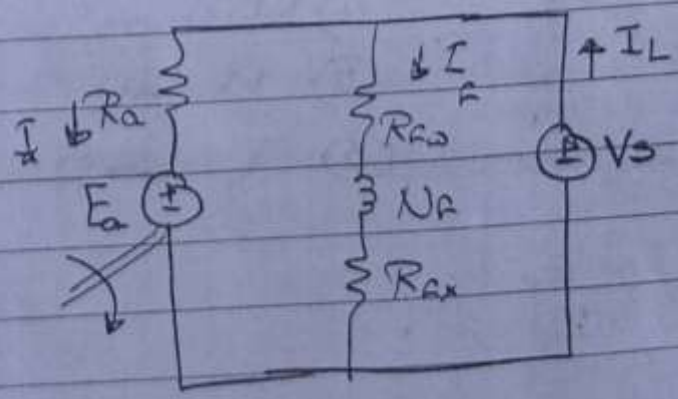


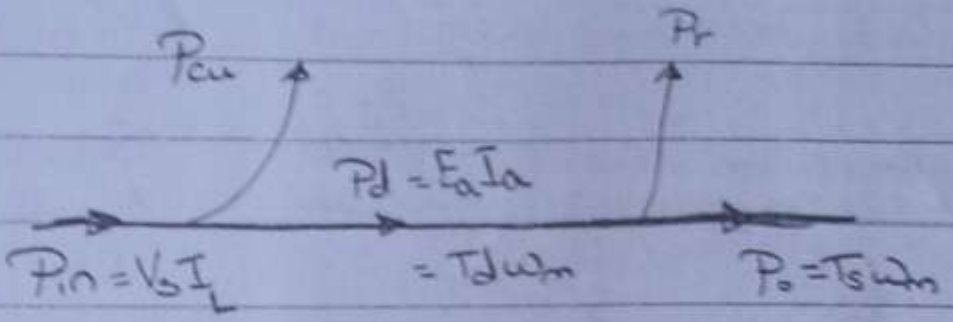
① Shunt motor

$$V_o = I_f R_f \rightarrow R_{Fx} + R_{Fw}$$

$$= E_a + I_a R_a$$

$$I_L = I_a + I_f$$





Speed Regulation

$$S.R\% = \frac{N_{m/nL} - N_{m/FL}}{N_{m/FL}} * 100 = __ \%$$

Examples

Full load losses

DC shunt motor drive a load for supply voltage Vs
240V. The armature current Ia = 25A
The rated speed = 2200 rpm → $R_a = 0.8\Omega$
$R_F = 120\Omega$ $N_{m)_{FL}}$

Calculate

① Machine const. (Ka Φp)
② Nm/nL
③ T_s → R = 100Ω

Sol b

$$\frac{E_a}{E_{a1}}\Big)_{n2} = \frac{K_a \Phi_p \omega_m}{K_a \Phi_p \omega_m}\Big)_{n2}$$

$$E_a\Big)_{n2} = V_b - I_a\Big)_{n2} R_a$$

$$= 240 - 25 * 0.8 = 220V$$

$$K_a \Phi_p = \frac{220}{\frac{\pi * 2200}{60}} = 0.96 \text{ V/(rad/sec)}$$

Sol c

No load

$$P_d = P_r + P_o \quad (\text{no load})$$

$$P_d\Big)_{nL} = P_r$$

$$E_a I_a\Big)_{n1} = I_a^2 R_a\Big)_{n1}$$

$$E_a\Big)_{n1} = V_b - I_a\Big)_{n1} R_a \qquad (* I_a\Big)_{n1})$$

$$P_d\Big)_{nL} = \left(I_a\Big)_{nL} E_a\Big)_{nL}\right) = V_b - I_a^2\Big)_{nL} R_a$$

$$P_o = 100 = 240 - 240 I_a\Big)_{n1} - 0.8 I_a^2\Big)_{nL}$$

$$I_a\Big)_{n1} = 299.5 \text{ A} \rightarrow \text{rejected}$$

$$I_a\Big)_{nL} = 0.417 \text{ A}$$

$E_a)_{rated}$ =

N_a Rated

T_a → Full load Jachic

power η_g

naload → speal η_g

T_a → P_a − P_r ← 100

P_d

$E_a)_{fl}$ $I_a)_{fl}$

Example 4.5:

That V_s = 120V DC shunt Motor has a no load of 4A at speed of 1200rpm the arm. resistance 0.8Ω R_a and shunt resistance = 60Ω

efficiency → 100 → ?? Watt

Find: ① efficiency and speed at rated load of 2.4KW

Sol:

$I_L)_{rated}$ = 4A

$N_m)_{rated}$ = 1200 rpm

at No load

P_{add} = P_r

$E_a)_{rated}$ $I_a)_{rated}$

$E_a)_{nL} = V_s - I_a)_{nL} R_a$

$= 120 - (I_L - I_f) * 0.8$

$= 120 - (24 - \frac{120}{260}) * 0.8 = 118.4V$

$P_d)_{nL} = P_r = 2 * 118.4 = 236.8w$

at Full Load ⟶ $P_o = 24kw$, $P_r = 236.8w$ ⟵ P_d

P_{in} ⟶ P_{cu} ⟶ P_d ⟶ P_r ⟶ P_o

$E_a)_{FL} = V_s - I_{aFL} R_a$

$2636.8 \leftarrow P_d)_{FL} = 120\, I_a)_{FL} - I_a^2)_{FL} * 0.8$

$\rightarrow I_a)_R = 26.75A \rightarrow E_a = 97V$

لما يطلع عنى قيمتين اخد الاقل

$I_L = I_a + I_A$ ← $\frac{V_s}{R_f}$

$= 26.75 + 2 = 28.75A$

$P_{in} = V_s I_L$

$E_a = K_a \Phi_p \omega_m)_{FL}$ ← Double لانه معايا IF

$E_a \propto \omega_m$

$E_{a)nl} \leftarrow \frac{E_{a1}}{E_{a2}} = \frac{N_{m1}}{N_{m2}} \leftarrow N_{m)nl}$

$E_{a)fl} \leftarrow E_{a2}$

$N_{m)fl}$

$$\frac{118.4}{97} = \frac{1200}{N_{m)fl}}$$

$N_{m)fl} =$

Ex 4-6

220V shunt motor draws a current of 10A at a speed 1800 rpm, $R_a = 0.2\Omega$, $R_f = 440\Omega$, $P_f = 180W$

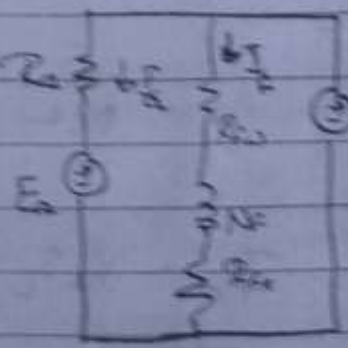
determine

① E_a ② T_s, T_d, η

no load في حالة ... الموصل

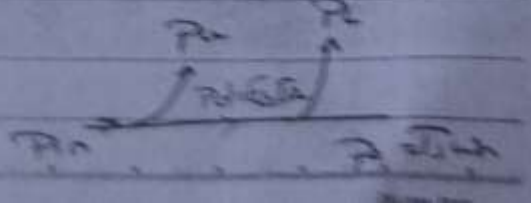
Sol.

$$E_a = V_s - I_a R_a \quad (0.2)$$
$$= 220 - (I_L - I_f) R_a$$
$$= 218\ V$$



$$P_d = E_a I_a$$
$$= 218 * 9.5 = \ldots W$$

$P_o = P_d - P_r$



output shaft torque

$$T_o = \frac{P_o}{\frac{477 * 1500}{60}}$$

$$P_{in} = I_L V_s = 220 * 10$$

$$\eta = \frac{P_o}{P_{in}}$$

$$T_d = \frac{P_d}{\omega_m} = 11 \text{ N.m}$$

Ex 4-7

نفس معطيات الآلة التي قبلها

$T_{d_2} = 20 \text{ N.m}$

Find ① N_{m2} ③ η

② I_{L_2}

Sol

$E_a = K_a \phi_m \omega_m$

$T_d = K_a \phi_p I_a$ I_f (ثابت)

$T_d \propto I_a$

$$\frac{T_{d_1}}{T_{d_2}} = \frac{I_{a_1}}{I_{a_2}}$$

$$\frac{11}{20} = \frac{9.5}{I_{a_2}}$$

$$I_{a_2} = 17.3\,A$$

$$I_{l_2} = I_f + I_{a_2}$$

$$= 0.5 + 17.3$$

$$= 17.8\,A$$

$$E_b \propto N\phi$$

$$\frac{E_{b_1}}{E_{b_2}} = \frac{N\phi_1}{N\phi_2}$$

$$\frac{219.1}{E_{b_2}} = \frac{1820}{N\phi_2}$$

$$E_{b_1} = V_t - I_{a_1} R_a$$

$$= 220 - 17.3 \times 0.2$$

$$= \checkmark$$

$$N\phi_2 = \checkmark$$

$$\eta = \frac{P_o}{P_{in}}$$

$P_{in2} = V_s I L_2$

$= 220 * 17.8 =$ ✓ watt.

[redacted]

$P_o = P d_2 - P_r$ ← 180

P_r ثابتة لو متغيرها

$\rightarrow Ea_2 * Ia_2$

لو قال لك ← $\frac{P_{r1}}{P_{r2}} = \frac{N_{m1}}{N_{m2}}$

P_r بتتغير

$P_{r2} =$ ✓

Sketch speed / current c/cs

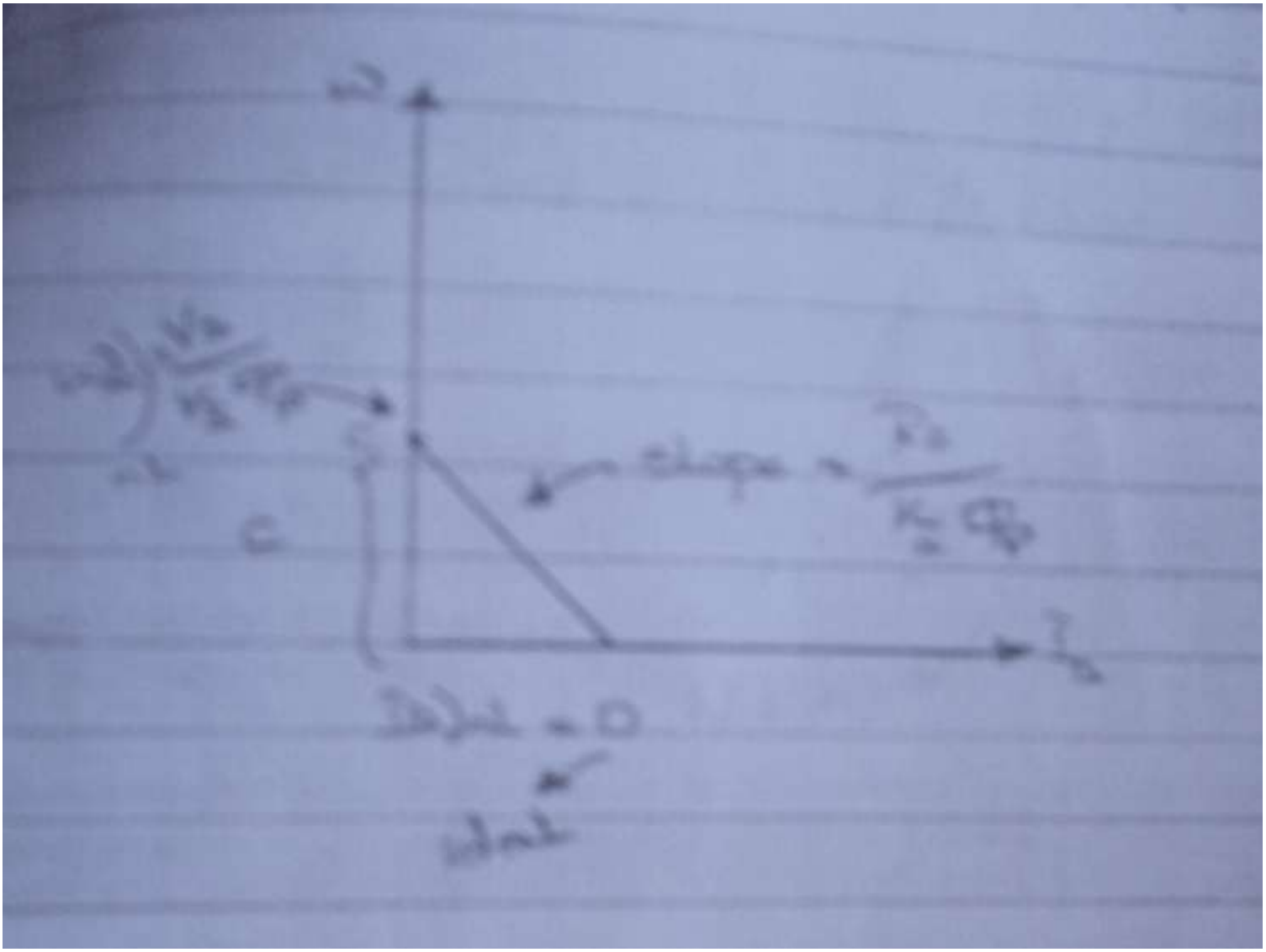
$E_a = K_a \Phi_p \omega_m$

$= V_s - I_a R_a$

$K_a \Phi_p \omega_m = V_s - I_a R_a$

$\omega_m = \frac{V_s}{K_a \Phi_p} - \frac{R_a}{K_a \Phi_p} I_a$

$y = c - m x$



http://www.com-dep.tk